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### Classification of ECG Signals Using Particle Swarm Optimization and Extreme Learning Machine

Dr.S.Karpagachelvi

Head and Assistant Professor, Department of Computer Science (PG), KSR College of Arts and Science College, Tiruchengode, Tamilnadu, India

[karpagachelvis@yahoo.com](mailto:karpagachelvis@yahoo.com)

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#### Abstract

The ECG is one of the mainly effective investigative tools to detect cardiac diseases. It is a technique to calculate and record dissimilar electrical potentials of the heart. The electrical potential generated by electrical action in cardiac tissue is calculated on the surface of the human body. Present flow, in the variety of ions, signals reduction of cardiac muscle fibers important to the heart's pumping action. This ECG can be classified as standard and abnormal signals. In this work, a systematic experimental study was conducted to demonstrate the advantage of the generalization capability of the Particle Swarm Optimization Extreme Learning Machine (PSO-ELM) compared with Extreme Learning Machine (ELM) approach in the automatic classification of ECG beats. The simplification presentation of the ELM classifier has not attained the nearest maximum accuracy of ECG signal classification. To attain the maximum accuracy the PSO-ELM classifier design by searching for the best value of the parameters that tune its distinguish function, and upstream by looking for the best subset of features that feed the classifier. The experiments were conducted on the ECG data from the Massachusetts Institute of Technology–Beth Israel Hospital (MIT–BIH) arrhythmia database to categorize five kinds of abnormal waveforms and normal beats. In particular, the sensitivity of the PSO-ELM classifier is tested and that is compared with ELM. The attained results clearly confirm the superiority of the PSO-ELM approach when compared to ELM classifiers.

**Keywords:** Electrocardiogram (ECG) signals classification, Extreme Learning Machine (ELM), Particle Swarm Optimization ELM (PSO-ELM).

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#### Introduction

The detection of the ECG beats is an enormously important task in the coronary intensive unit, where the classification of the ECG beats is necessary tool for the diagnosis. ECG is a method which captures transthoracic explanation of the electrical activity of the heart over time and externally recorded by skin electrodes. It is a non determined recording created by an electrocardiographic machine. ECG offers cardiologists with functional information about the rhythm and functioning of the heart. Therefore, its investigation represents a capable way to detect and treat different kinds of cardiac diseases. The ECG signal is typically divided into two phases: depolarization and repolarization phases. The depolarization phase corresponds to the P-wave and QRS-wave while repolarization phase corresponds to the T-wave and U-wave.

The ECG is calculated by placing ten electrodes on favored spots on the human body

surface. For regular ECG recording, the deviations in electrical potentials in 12 dissimilar information out of the ten electrodes are calculated. These 12 dissimilar electrical explanations of the activity in the heart are usually referred to as leads. Trained physicians are able to distinguish certain model in a patient's ECG signal and use them as the origin for diagnosis. Researchers have tried as the beginning of computers to enlarge techniques and algorithms for mechanical processing of ECG signals for a variety of medical applications.

The many algorithms have been introduced for the appreciation and classification of ECG signal. Some of them use time and some use regularity domain for description. Based on that numerous specific attributes are defined, allowing the appreciation between the beats belonging to dissimilar pathological classes. The ECG waveforms may be different for the similar patient to such extent

that they are unlike each other and at the same time alike for dissimilar types of beats.

The aim of this work is twofold. First, they present a thorough experimental study to demonstrate the advantage of the simplification capability of the Extreme Machine Learning (ELM) approach in the mechanical classification of electrocardiogram (ECG) beats. Second, they suggest a novel categorization system based on Particle Swarm Optimization to get better the simplification performance of the ELM classifier. For this reason, they have optimized the ELM classifier design by searching for the best value of the parameters that tune its discriminate function, and upstream by looking for the best subset of features that feed the classifier. The obtained results clearly confirm with the ELM approach, and suggest that additional considerable improvements in terms of classification accuracy can be obtained by the proposed PSO-ELM classification system. The PSO-ELM yielded a higher accuracy than ELM.

### Literature survey

Jadhav *et al* (2010) proposed a mechanical Artificial Neural Network (ANN) based classification scheme for cardiac arrhythmia using standard 12 lead ECG recordings. In this learning, they are largely interested in producing high confident arrhythmia classification results to be appropriate in analytical decision support systems. In arrhythmia analysis, it is inescapable that a number of attribute values of a person would be absent. Therefore they have replaced these missing attributes by closest column value of the concern class.

Traditional Extreme Learning Machine (ELM) may need high amount of hidden neurons and lead to ill-condition trouble due to the random determination of the input weights and hidden biases. In this work, they use a modified Particle Swarm Optimization (PSO) algorithm to select the input weights and hidden biases of Single-hidden-Layer Feedforward Neural Networks (SLFN) and Moore-Penrose (MP) universal inverse to systematically decide the output weights are measured by Han *et al* (2012).

The common reason optimization technique known as Particle Swarm Optimization has received much concentration in past years, with a lot of attempts to discover the alternate that carry out best on a wide range of optimization problems. The focus of past research has been with manufacture the PSO method additional complex, as this is frequently believed to enlarge its flexibility to other optimization problems. This study takes the opposite

approach and simplifies the PSO method is shown by Pedersen and Chipperfield (2010).

Sharma *et al* (2010) propose a novel denoising technique based on valuation of higher-order statistics at dissimilar Wavelet bands for an electrocardiogram (ECG) signal. Higher-order statistics at dissimilar Wavelet bands provides significant information regarding the statistical nature of the information in time and frequency. The fourth order cumulant, *Kurtosis*, and the Energy Contribution Efficiency (ECE) of signal in a Wavelet subband are joint to assess the noise content in the signal.

The categorization of the ECG signals is currently executed with the extreme learning machine. The simplification presentation of the SVM classifier is not enough for the correct arrangement of ECG signals. To overcome this problem, the SVM classifier is used which works by searching for the best value of the parameters that tune its distinguish function and upstream by looking for the most excellent subset of features that feed the classifier. In this work, a methodical experimental study was completed to show the advantage of the generalization capability of the Extreme Learning Machine (ELM) that is obtainable and compared with support vector machine (SVM) advance in the automatic categorization of ECG beats are developed by Karpagachelvi *et al* (2012).

Dutta *et al* (2010) proposes the development of a mechanical medical analytical tool that can categorize ECG beats. This is measured a significant problem as accurate, timely detection of cardiac arrhythmia can help to offer proper medical attention to cure/decrease the ailment. The proposed method makes use of a cross-correlation based approach where the cross-spectral density information in regularity domain is used to take out suitable features. A least square support vector machine (LS-SVM) classifier is constructed utilizing the features so that the ECG beats are confidential into three categories: normal beats, PVC beats and other beats.

Ye *et al* (2012) proposed a original approach for heartbeat classification based on a grouping of morphological and dynamic features. Wavelet transform and Independent Component Analysis (ICA) are applied discretely to each heartbeat to extract morphological features. In addition, RR interval information is computed to offer energetic features. The proposed method is validating on the baseline MIT-BIH arrhythmia database and it yields almost excellent accuracy.

Korürek and Dogan (2010) presents a technique for electrocardiogram (ECG) beat

classification based on Particle Swarm Optimization and Radial Basis Function Neural Network (RBFNN). For categorization stage of the extracted features, a RBFNN structure which is evolved by element swarm optimization is used. A number of experiments are carrying out over the test set and it is observed that the proposed method classifies ECG beats with a lesser size of system without creation any concession on the classification presentation.

The ECG categorization problems have been resolved by means of a methodology, which has the potential to improve the ECG classification performance. This technique diminishes the computational difficulty which mostly occurs during the feature selection. The proposed system utilizes particle swarm optimization for the selection of feature subset. PSO is good-looking for feature selection, in that particle swarms will discover best feature grouping as they fly within the best subset space. Thus ELM is used for classification, which is based on local estimate strategy. It diminishes the amount of operations in learning mode and it is well suitable for better datasets given by Muthulakshmi and Latha (2012).

Lanet *al* (2010) effort to address the architectural plan of ELM revert or by applying a productivetechnique on the basis of ELM algorithm. After the nonlinearities of ELM system are fixed by randomly produce the parameters, the network will communicate to a linear regression model. The collection of hidden nodes can then be observed as a subset model selection in linear regression. The plannedproductive hidden nodes selection for ELM (referred to as CS-ELM) selects the bestamount of hidden nodes when the unbiased risk judgment based criterion *CP* reaches the minimum value.

Extreme learning machine (ELM) was proposed as a fresh class of learning algorithm for single-hidden layer feedforward neural network (SLFN). To attainexcellent generalization presentation, ELM reduce training mistake on the complete training dataset; therefore it might suffer from overfitting as the learning model will estimated all training samples well is given by Liu and Wang (2010).

Figueiredo and Ludermir (2012) perform the Extreme Learning Machine (ELM), that has been hybridized with the Particle Swarm Optimization (PSO). This hybridization is named PSO-ELM. In the majority of these hybridizations, the PSO uses the global topology. The presentation of PSO depends on its topology, and there is not a greatest topology for all problems. Thus, in this work, they examine the

produce of the PSO topology on performance of the PSO-ELM.

Extreme Learning Machine was a new type of feed forward neural network. Contrast with traditional single hidden layer feed forward neural networks, ELM possessed higher training speed and smaller error. A new ELM learning algorithm, which was optimized by the Particle Swarm Optimization, was planned. PSO algorithm was utilized to choose the input weights and bias of hidden layer, and then the output weights could be designed by Wang and Bi (2013).

Recently Extreme Learning Machine (ELM) for Single-Hidden-Layer Feedforward Neural Networks has been attracting attentions for its quicker learning speed and improved generalization performance than those of traditional gradient-based learning algorithms. In this work, a hybrid learning algorithm is planned to overcome the drawbacks of ELM, which uses an enhanced PSO algorithm. In order to achieve optimal SLFN, the enhanced PSO optimizes the input weights and hidden biases are done by Li and Niu (2013).

## Methodology

### Feature extraction

Mechanical ECG beat appreciation and categorization is carry out in the part either by the neural network or by the other detection systems relying in various features, time fieldillustration, extracted from the ECG beat or the measure of energy in a band of frequencies in the spectrum (frequency domain representation). Since these features are very at danger to variations of ECG morphology and the temporal characteristics of ECG, it is tricky to differentiate one from the other on the basis of the time waveform or frequency demonstration. In these work three different classes of characteristic set are used belonging to the isolated ECG beats including; third-ordercumulant, auto-regressive model parameters and the variance of discrete wavelet transform detail coefficients for the different scales.

### Wavelet transformation

Physiological signals used for judgment are normally characterized by a non-stationary time performance. For such patterns, time and frequency representation are attractive. The frequency characteristics in calculation to the temporal performance can be explained with respect to uncertainty principle. The wavelet transform can characterize signals in dissimilar resolutions by dilating and compress its basis function. While the enlarge functions adapt to slow wave action, the

compressed functions captures quick activity and sharp spikes. The most favorable option of types of wavelet function for pre-processing is difficulty dependent. In this work Daubechies wavelet function (db5) which is called efficiently support orthonormal wavelets. By manufacture discretization the scaling feature and location factor the DWT is achieved. For orthonormal wavelet transform,  $x(n)$  the separate signal can be extended in to the scaling function at j level, as follows:

$$x(n) = D_{j,k}[x(n)] + A_{j,k}[x(n)], n \in Z \quad (1)$$

Where  $D_{j,k}$  correspond to the detailed signal at j level. Note that j controls the dilation or reduction of the scale function  $\Phi(t)$  and k indicate the location of the wavelet function  $\Psi(t)$ , and n characterize the sample amount of the  $x(n)$ . Here  $n \in Z$  represents the set of integers. The regularity spectrum of the signal is classified into elevated regularity and short regularity for wavelet decomposition as the band enlarge (j = 1, . . . , 6). Wavelet convert is a two-dimensional time scale processing technique for non-stationary signal with sufficient scale standards and shifting in time.

Multiresolution decomposition can powerfully offer instantaneous characteristics, in phrase of the demonstration of the signal at numerous resolutions subsequent to dissimilar time scales. Feature vectors are building by the normalized variances of feature coefficients of the DWT which belong to the associated scales.

**Higher-order statistics and AR modeling**

The major difficulty in mechanical ECG beat detection and categorization is that connected features are very vulnerable to variation of ECG morphology and sequential characteristics of ECG. In the study the set of innovative QRS difficult distinctive for six types of arrhythmia taken from the MIT/BIH arrhythmia database, there is a huge difference of signal between the similar types of beats belonging to the same type of arrhythmia. Therefore, in order to work out such problem, the author will rely on the numerical features of the ECG beats. In this work for this aim, third-order cumulant has been taken into description, which can be determined as follows:

$$C_{2x}(k) = E\{x(n)x(n+k)\} \quad (2)$$

$$C_{3x}(k,l) = E\{x(n)x(n+k)x(n+l)\} \quad (3)$$

$$C_{4x}(k,l,m) = E\{x(n)x(n+k)x(n+l)x(n+m)\} - C_{2x}(k)C_{2x}(m-l) \quad (4)$$

$$-C_{2x}(l)C_{2x}(m-k) - C_{2x}(m)C_{2x}(l-k)$$

Where E represents the anticipation operator, and k, l and m are the time lags. In this work, third-order cumulate of chosen ECG beats is utilized. Normalized ten points represents the cumulant consistently distributed with in the series of 25 lags. Every following samples of a signal as a linear grouping of preceding samples, that is, as the output of an all-pole IIR filter is modeled by linear calculation. This procedure locates the coefficients of an n<sup>th</sup> order auto-regressive linear procedure that model the time series x as

$$x(k) = -a(2)x(k-1) - a(3)x(k-2) - \dots - a(n+1)x(k-n) - 1 \quad (5)$$

where x represents the real input time series (a vector), and n is the order of the denominator polynomial a(z). In the block processing, autocorrelation technique is one of the modeling methods of all-pole modeling to discover the linear calculation coefficients. This technique is as well called as the Maximum Entropy Method (MEM) of spectral analysis.

**Extreme Learning Machine**

A new learning algorithm called the Extreme Learning Machine for Single-hidden Layer Feed forward neural Networks (SLFNs) organized batch learning. The production of an SLFN with ~N hidden nodes (additive or RBF nodes) can be represented by

$$f_N(X) = \sum_{i=1}^N \beta_i G(a_i, b_i, X), X \in R^n, a_i \in R^n, \quad (6)$$

Where  $a_i$  and  $b_i$  are the learning parameters of hidden nodes and  $\beta_i$  is the weight linking the i<sup>th</sup> hidden node to the output node.  $G(a_i, b_i, X)$  is the output of the i<sup>th</sup> hidden node with respect to the input x. For the preservative hidden node with the establishment function  $g(x): R \rightarrow R$  (e.g., sigmoid or threshold),  $G(a_i, b_i, X)$  is given by

$$G(a_i, b_i, X) = g(a_i \cdot X + b_i), b_i \in R \quad (7)$$

Where a represents the weight vector linking the input layer to the i<sup>th</sup> hidden node and  $b_i$  is the bias of the i<sup>th</sup> hidden node.  $a_i \cdot x$  indicate the inner product of vectors  $a_i$  and x in  $R^n$ . For an RBF hidden

node with an establishment function  $g(x):R \rightarrow R$  (e.g., Gaussian),  $G(a_i, b_i, X)$  is given by

$$G(a_i, b_i, X) = g(b_i || x - a_i ||), b_i \in R^+ \quad (8)$$

Where  $a_i$  and  $b_i$  are the  $i^{th}$  RBF node's center and impact factor.  $R^+$  point out the set of all constructive real values. The RBF network is a particular case of the SLFN with RBF nodes in its hidden layer. Each RBF node has its own centroid and contact factor and output of it is given by a radially symmetric purpose of the space among the input and the center.

In the learning algorithms it utilizes a restricted amount of input-output samples for training. Here,  $N$  arbitrary separate samples are measured  $(x_i, t_i) \in R^n \times R^m$ , where  $x_i$  is an  $n \times 1$  input vector and  $t_i$  is an  $m \times 1$  aim vector. If an SLFN with  $\tilde{N}$  hidden nodes can estimated  $N$  samples with zero error, it then implies that there exist  $\beta_i, a_i,$  and  $b_i$  such that

$$F_{\tilde{N}}(X_j) = \sum_{i=1}^{\tilde{N}} b_i G(a_i, b_i, X_j) = T_j, j = 1, \dots, N \quad (9)$$

Equation (9) can be written efficiently as

$$H\beta = T \quad (10)$$

Where

$$H(a_1, \dots, a_{\tilde{N}}, b_1, \dots, b_{\tilde{N}}, X_1, \dots, X_N) = \begin{bmatrix} G(a_1, b_1, X_1) & \dots & G(a_{\tilde{N}}, b_{\tilde{N}}, X_1) \\ \vdots & \ddots & \vdots \\ G(a_1, b_1, X_N) & \dots & G(a_{\tilde{N}}, b_{\tilde{N}}, X_N) \end{bmatrix}_{N \times \tilde{N}} \quad (11)$$

$$\beta = \begin{bmatrix} \beta_1^T \\ \vdots \\ \beta_{\tilde{N}}^T \end{bmatrix}_{\tilde{N} \times m} \quad \text{and} \quad T = \begin{bmatrix} t_1^T \\ \vdots \\ t_N^T \end{bmatrix}_{N \times m} \quad (12)$$

$H$  is called the hidden layer output matrix of the system; the  $i^{th}$  column of  $H$  is the  $i^{th}$  hidden node's output vector with respect to inputs  $x_1, x_2, \dots, x_N$  and the  $j^{th}$  row of  $H$  is the output vector of the hidden layer with respect to input  $x_j$ .

In actual application, the amount of hidden nodes,  $\tilde{N}$ , will forever be fewer than the amount of training samples,  $N$ , and, hence, the preparation error cannot be completed exactly zero but can approach a nonzero training error. The hidden node parameters  $a_i$  and  $b_i$  (input weights and biases or centers and impact factors) of SLFNs need not be tuned during preparation and may just be assigned with random

values according to any permanent sampling sharing. Equation (12) then becomes a linear system and the output weights are predictable as

$$\tilde{\beta} = H \dagger T \quad (13)$$

Where  $H \dagger$  the Moore-Penrose is comprehensive inverse of the hidden layer output matrix  $H$ . The ELM algorithm which consists of only three steps, can then be summarized as follows

### ELM Classification with PSO

The method describing the ELM classificationsystem for the basic discrimination case among two classes is as follows.

#### 1) Initialization

Step 1) Generate randomly a first swarm of size  $S$ .

Step 2) Set to zero the speed vectors  $v_i (i=1, 2, \dots, S)$  connected with the  $S$  particles.

Step 3) For each position  $p_i \in R^{d+2}$  of the particle  $P_i (i= 1, 2, \dots, S)$  from the swarm, train an ELM classifier and calculate the matching fitness function  $f(i)$  (i.e., the SV measure).

Step 4) Set the best location of every particle with its initial position, i.e.,

$$P_{bi} = P_i, (i = 1, 2, \dots, S)$$

#### 2) Search process

Step 5) Identify the greatest global position  $p_g$  in the swarm exhibiting the smallest value of the measured fitness function over all explored trajectories.

Step 6) Update the speed of each particle using (14).

$$V_i(t+1) = wv_i(t) + c_1r_1(t)(P_{bi}(t) - P_i(t)) + c_2r_2(t)(P_g(t) - P_i(t)) \quad (14)$$

Step 7) Update the position of each particle using (15).

$$P_i(t+1) = P_i(t) + V_i(t) \quad (15)$$

If a particle goes away from the predefined boundaries of the search space, abbreviate the updating by setting the location of the particle at the space boundary and reverse its search direction (i.e.,

multiply its speed vector by  $-1$ . This will stop the particle from additional attempting to go out of the permitted search space.

Step 8) For each candidate particle  $\mathbf{p}_i$  ( $i= 1, 2, \dots, S$ ), train an ELM classifier and estimate the corresponding fitness function  $f(i)$ .

Step 9) Update the best position  $\mathbf{P}_{bi}$  of each particle if its present position  $\mathbf{p}_i$  ( $i= 1, 2, \dots, S$ ) has a lesser fitness function.

**3) Convergence**

Step 10) If the highest amount of iterations is not yet reached, return to step 5.

**4) Classification**

Step 11) Choose the greatest global position  $\mathbf{P}_g^*$  in the swarm and train an ELM classifier fed with the subset of detected features mapped by  $\mathbf{P}_g^*$  and modeled with the values of the two parameters  $C$  and  $\gamma$  encoded in the same position.

Step 12) Categorize the ECG signals with the trained ELM classifier.

**Experimental results**

**Dataset Description**

The experiment conducted on the basis of ECG data from the Physionet database. In exacting, the measured beats refer to the subsequent classes: Normal sinus rhythm (N), Atrial Premature Beat (A),

Ventricular Premature Beat (V), Right Bundle branch block (RB), Left Bundle branch block (LB), and Paced Beat (/). The beats were chosen from the recording of 20 patients, which match to the following files: 100, 102, 104, 105, 106, 107, 118, 119, 200, 201, 202, 203, 205, 208, 209, 212, 213, 214, 215, and 217. In order to provide for the classification procedure, in this work, the two following kinds of features are adopted: 1) ECG morphology features and 2) three ECG temporal features, i.e., the QRS complex period, the RR interval (the time span between two consecutive R points representing the distance between the QRS peaks of the present and preceding beats), and the RR interval averaged over the ten last beats. In order to take out these features, first the QRS finding is performed and ECG wave boundary detection tasks by means of the well-known ecgwave software obtainable. Then, following extracting the three temporal features of interest, normalized to the similar periodic length the period of the segmented ECG cycles according to the process reported. To this reason, the mean beat period was chosen as the standardized periodic length, which was represented by 300 uniformly distributed samples. Accordingly, the total number of morphology and sequential features equals 303 for each beat.

*Table 1: Numbers of Training and Test Beats Used In the Experiments*

Class	N	A	V	RB	/	LB	Total
Training beats	150	100	100	50	50	50	500
Test beats	24000	245	3789	3893	6689	1800	40416

In order to achieve dependable assessments of the classification correctness of the investigated classifiers, in all the following experiments, three dissimilar trials are performed, each with a new set of arbitrarily selected training beats, while the test set was kept unmovable. The results of these three trials achieved on the test set were thus averaged. The detailed amount of training and test beats are reported for each class in Table 1. Classification presentation was evaluated in terms of four measures, which are: 1) the Overall Accuracy (OA), which is the proportion of properly classified beats among all the beats considered; 2) the correctness of every class that is the percentage of properly classified beats among the beats of the considered class; 3) the Average Accuracy (AA), which is the average over the classification accuracies obtained for the dissimilar classes; 4) the McNemar's test that gives the statistical consequence of difference among the accuracies achieved by the different classification

advance. This test is based on the standardized normal test statistic

$$Z_{ij} = \frac{f_{ij} - f_{ji}}{\sqrt{f_{ij} - f_{ji}}} \quad (20)$$

Where  $Z_{ij}$  calculates the pair wise statistical implication of the difference among the accuracies of the  $i^{th}$  and  $j^{th}$  classifiers.  $f_{ij}$  stands for the amount of beats classified correctly and wrongly by the  $i^{th}$  and  $j^{th}$  classifiers, correspondingly. Accordingly,  $f_{ij}$  and  $f_{ji}$  are the counts of classified beats on which the considered  $i^{th}$  and  $j^{th}$  classifiers disagree. At the normally used 5% level of implication, the dissimilarity of accuracies between the  $i^{th}$  and  $j^{th}$  classifiers is said statistically significant if  $|Z_{ij}| > 1.96$ .

**Experimental Scheme**

The planned experimental framework was performed around the following two main experiments. The first research aimed at assessing the

efficiency of the ELM approach in classifying ECG signals openly in the whole original hyper dimensional characteristic space. The whole amount of training beats was fixed to 500, as reported in Table 1. The second experiment was dedicated to examine the simplification capability of the ELM classifiers with and without feature decrease, and of the PSO-ELM classification system by decreasing/increasing the amount of obtainable training beats. Finally, in the

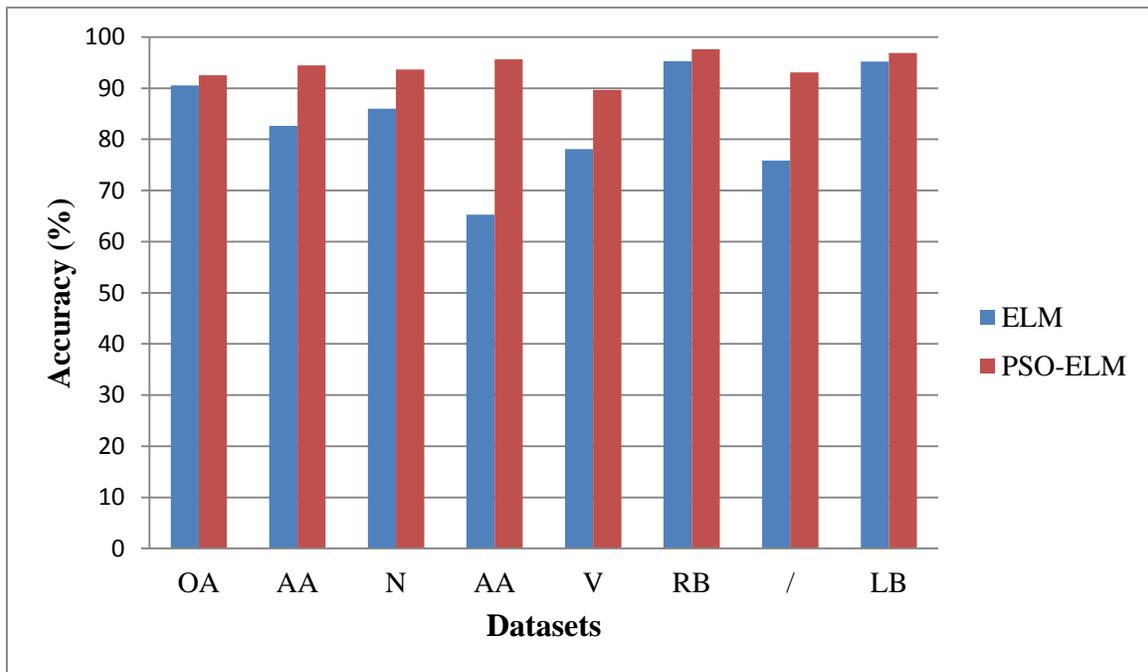
second testing, the sensitivity of the PSO-ELM classification system is examined.

**4.3 Experimental settings**

The correctness of the planned method of PSO-ELM may have high accuracy when evaluate with the ELM. The proposed PSO-ELM has high value in all the methods.

*Table2: Overall (OA), Average (AA), and Class Percentage Accuracies Achieved on the Test Beats with the Different Investigated Classifiers with a Total Number of 500 Training Beats*

Methods	OA	AA	N	A	V	RB	/	LB
ELM	90.54	82.61	85.97	65.25	78.11	95.26	75.83	95.22
PSO-ELM	95.53	94.44	93.67	95.65	89.67	97.64	93.11	96.89



*Figure1: Comparison of ELM and PSO-ELM accuracy for different datasets*

The Figure 1 gives the accuracy of classifying the ECG signals by using ELM and PSO-ELM. This shows that PSO-ELM gives much improved accuracy for all datasets given as input. In which RB dataset achieves the maximum accuracy of 97.64%.

*Table3: Number of Features Detected For Each Class with the ELM Classification System Trained On 500 Beats*

Class	N	A	V	RB	/	LB	AVERAGE
#Detected Features	68	49	32	50	47	41	47

Table 3 shows the amount of features

detected mechanically to distinguish every class from the others. The average number of features required by the PSO-ELM classifier is 47, while the minimum and maximum numbers of features were obtained for the ventricular premature (V) and normal (N) classes with 32 and 68 features, respectively.

### Conclusion

In this study, a novel ECG beat classification scheme using PSO-ELM is proposed. The wavelet transforms variance and AR model parameters have been used for the features selection. From the obtained experimental results, it can be strongly recommended that the use of the PSO-ELM approach for classifying ECG signals on account of their superior generalization capability as compared to traditional classification techniques. PSO-ELM approach is proposed for an automatic ECG beat classification. This approach presents methods for improving ELM performance in two aspects: feature selection and parameter optimization. The new method that proposed in this work is the grouping of a Extreme Learning Machine and Particle Swarm Optimization (PSO-ELM). This modified PSO is jointly applied to optimize the feature selection and the ELM kernel parameter.

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